Investigation of Steady Magnetohydrodynamics Casson Fluid Flow over an Aligned Vertical Porous Plate in the Presence of Thermal Radiation and Thermal Diffusion Impacts

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Abstract : This study examines the influence of aligned angle and radiation on fluid flow in an infinite vertical plate submerged in a porous medium under steady magnetohydrodynamics (MHD) with thermal convection. The flow of a Casson fluid, representing an incompressible viscous fluid in an isotropic state, is analyzed using a physical equation. The governing partial differential equations are solved using a mathematical approach, and dimensionless equations for velocity, temperature, and concentration are derived using the perturbation technique. MATLAB-generated graphs illustrate the effects of various parameters, including Grashof number, modified Grashof number, magnetic parameter, Casson parameter, permeability parameter, aligned angle, Prandtl number, radiation parameter, heat absorption, Schmidt number, and chemical reaction. A comparative analysis with existing research is presented, including data on skin friction and Nusselt number, in a tabular format. This study's findings contribute to a better understanding of fluid dynamics in porous media and can be applied to optimize heat transfer processes in various engineering applications.

Keywords: MHD, Casson fluid, Aligned angle, Radiation parameter and Soret effect.

1. Introduction

All the fields of industrial science, food science, engineering, and mechanics study non-Newtonian fluids. One class of Casson fluids is non-Newtonian fluids. In particular, plastic goods are produced using plastic. Additionally, petroleum and crude oil are separated using these fluids. The yield shear stress is represented by the equation of strain, which is an elastic solid. For example, non-Newtonian materials such as milk, algae, tomatoes, shampoo, paint, and blood are used.

The effect of chemical reactions on the concentration and temperature of absorption through a vertical plate with convection paste on a past magnetohydrodynamic wall [1]. Heat production and absorption in a Casson fluid flow in an infinite porous media on an unstable MHD vertical plate during radiative absorption in the presence of extremely accelerated convection [2]. Compressed flow near the sensor surface of a Maxwell fluid by penetrating radiation and chemical reactions [3]. Unsteady MHD fluid flow and radiative and soret effects of chemical reactions through a red porous plate in the presence of an obliquely oriented magnetic field [4]. Heat diffusion effects on previously unstable MHD exponentially accelerate free convective flow over a porous medium in a semi-infinite vertical plate [5]. The thermodynamic impact of thermal radiation and chemical reactions on radiative absorption and diffusion in unsteady MHD in an inclined porous plate [6]. The heat and mass transfer effects of slip in the presence of Kuvshinski fluid flow through an inclined, unstable MHD porous plate [7]. The use of diffusion thermo and heat dissipation effects on maximum well nanofluid flow through convective flow by nonlinear radiation of heat flow using MHD 3D mixing [8]. A vertical porous medium in MHD that allows free conduction via a plate at a heat source and radiation absorption [9]. The effects of a magnetic field applied in a stretching/shrinking sheet on the flow of a convected Maxwell fluid and the transmission of heat [10]. The rapid temperature change in MHD is caused by the mass distribution of a vertical plate embedded in a porous medium and the heat source's impact through a radiative absorber fluid [11]. The effects of thermal conductivity and convective flow via diffusion in a Maxwell nanofluid with MHD mixing in a

porous medium with vertical cones [12]. Chemical reactions via the passage of free convective radiation in a porous vertical plate in MHD [13]. Unstable MHD, soret, and radiation effects via Guvshinski fluid flow and chemical reactions via an angled porous plate [14]. The effects of Soret and chemical reactions on fluid flow for heat transfer in the presence of irregular MHD heat and radiation absorption in an infinite vertical plate [15]. A Newtonian fluid flows through thermodynamic flow over an inclined plate in unstable MHD. Dufour effects manifest as both chemical reactions and radiative absorption [16]. The impact of radiation on chemical reactions and the Soret effect in the presence of fluid flow slip in unstable MHD systems [17]. Heat radiation and transfer effects during NHD fluid flow via a fixed vertical plate with a fixed porous medium [18–19]. Thermal radiation flows through an accelerating vertical plate with a porous medium in steady MHD in the presence of a Casson fluid flow [20]. Solutions for Casson fluid flow in unsteady free convection across an oscillating vertical plate and a wall of constant temperature [21]. The effects of a chemical reaction in an unstable MHD-free convection flow embedded in a porous material with variable absorption [22]. Heat radiation forms at the surface as a result of heat transfer in high-speed micro stretching and Casson fluid flow [23]. Radiation as occurring in the presence of an exponentially extending magnetic field in a Casson fluid paste [24]. Slip effects with convection in the presence of an upward gradient in an elastic sheet boundary layer in a fluid flow enclosed in a porous medium in MHD [25]. The analysis of an exponentially stretched sheet with a Casson fluid flow in MHD [26]. High-speed fin plates in convective solutions and thermally unstable Casson fluid flow under boundary conditions and modeling [27]. Utilizing past gas flow and a DTM numerical probe on ultrafast variable thermal radiation in a stretched sheet was constructed [28]. Chemical reactions and heat diffusion in the study of Casson fluid flow using a porous plate under the influence of MHD [29]. Thermal and radiation diffusion via a vertical porous plate in the slip flow regime of an inhomogeneous MHD fluid flow with chemical reaction [30].

This paper focuses on the aligned angle and radiation in the magnetic field, where the parameters are defined using skin friction, the Nusselt number, and the Sherwood number, and the governing equations are solved analytically using the perturbation technique to find the dimensionless equations of velocity, temperature, and concentration. Execute the aforementioned parameters in sectors that are industry-specific. As an instance, several industries, including biomechanics, polymers, manufacturing, and medicine, use this fluid.

2. Basic Equations

A magnetic field combined with an electric and incompressible viscous field can be used to find the Casson flow equation.

The continuity equation

(1)

$$\overline{\nabla}.\overline{q}=0$$

Equation of momentum

$$\rho \left[\left(\overline{q} \cdot \overline{\nabla} \right) \overline{q} \right] = -\overline{\nabla} p + \overline{J} \cdot \overline{B} + \rho \overline{g} + \mu \nabla^2 \overline{q} - \left[\left| \frac{\mu}{\mathbf{K}'} \right| \right] \overline{q}$$
⁽²⁾

The law of Ohm

$$\overline{J} = \sigma \left[\overline{\mathbf{E}} + \left(\overline{q} \cdot \overline{\mathbf{B}} \right) \right]$$
(3)

The magnetism law of Gauss

$$\overline{\nabla}.\overline{\mathbf{B}} = 0 \tag{4}$$

The energy formula

$$\rho C_{P} \left[\left(\overline{q} \cdot \overline{\nabla} \right) T' \right] = \mathbf{K} \nabla^{2} T' + \mu \left(\nabla \cdot \overline{q} \right)^{2} - \nabla q_{r}' + \mu \nabla^{2} \overline{q}^{2} - Q' \left(T' - T_{\infty}' \right)$$
(5)

Equation for the continuity of species

$$\left(\overline{q},\overline{\nabla}\right)C' = D_M \nabla^2 C' + K' \left(C_{\infty}' - C'\right) + \frac{D_M K_T}{T_M} \nabla^2 T'$$
(6)

3. Mathematical Formulation

The unstable two-dimensional model depicted in Figure.1 shows an incompressible viscous Casson nanofluid flowing across a vertical plate with a porous media. It transfers electricity through a porous material. The direction of the fluid flow's x and y axes is upward and normally, respectively. In an incline magnetic field, the fluid is moving. Its viscosity and heat conductivity are also constant. In a discontinuous magnetic field, the following formulas relate to radiation and incompressible viscous Casson fluid flow.



Figure 1. Physical configuration.

A physical equation can be used to express the isotropic condition in an incompressible Casson fluid flow [30],

$$\tau_{ij} = \begin{cases} \left(\mu_{\beta} + \frac{\mathbf{P}_{y}}{\sqrt{2\pi}} \right) e_{ij,} \pi > \pi_{c}, \\ 2 \\ \left(\mu_{\beta} + \frac{\mathbf{P}_{y}}{\sqrt{2\pi_{c}}} \right) e_{ij,} \pi > \pi_{c}. \end{cases}$$
(7)

The decay rate (i, j) is e_{ij} and the critical value πc of this product is given in equation. (7) $\pi = e_{ij}$ is the product of the decay rate π .

In a non-Newtonian fluid, the yield stress is denoted as P_y and the plastic dynamic viscosity as μ_β .

$$\mathbf{P}_{y} = \frac{\mu_{\beta}\sqrt{2\pi}}{\gamma} \tag{8}$$

When the shear stress is needed to progressively increase during Casson fluid flow and in some fluids at a steady state, the fluid is said to be rheopectic if it is maintained at a constant yield stress to preserve the strain ratio where $\pi > \pi_c$

$$\mu = \mu_{\beta} + \frac{\mathbf{P}_{y}}{\sqrt{2\pi}} \tag{9}$$

The equation for kinematic viscosity can be obtained by substituting Equation (8) into Equation. (9).

$$v = \frac{\mu}{\rho} = \frac{\mu_{\beta}}{\rho} \left(1 + \frac{1}{\gamma} \right) \tag{10}$$

Where $\gamma = \frac{\mu_{\beta} \sqrt{2\pi_c}}{P_y}$ is the Casson parameter in the case. While $\gamma \to \infty$ is a Newtonian fluid, it conceals the

nature of non-Newtonian fluid.

Using forward flow equation, Obulesu Mopuri et al. [19] determined the equations regulating conservation under the aforementioned assumptions of particular momentum, energy, concentration and mass.

$$\frac{\partial \dot{v}}{\partial y'} = 0 \tag{11}$$

$$\upsilon'\frac{\partial u'}{\partial y'} = \nu \left(1 + \frac{1}{\gamma}\right)\frac{\partial^2 u'}{\partial y'^2} + g\beta_T \left(T' - T'_{\infty}\right) + g\beta_C \left(C' - C'_{\infty}\right) - \frac{\sigma B_0^2}{\rho}u'\sin^2\delta - \nu \frac{u'}{K_p}$$
(12)

$$\upsilon'\frac{\partial T'}{\partial y'} = \frac{K}{\rho C_p} \frac{\partial^2 T'}{\partial y'^2} + \frac{\nu}{C_p} \left(1 + \frac{1}{\gamma}\right) \left(\frac{\partial u'}{\partial y'}\right)^2 - \frac{1}{\rho C_p} \frac{\partial q_r'}{\partial y'} + \frac{\sigma B_0^2}{\rho C_p} u'^2 - \frac{Q_1}{\rho C_p} \left(T' - T_{\infty}'\right)$$
(13)

$$v'\frac{\partial C'}{\partial y'} = D\frac{\partial^2 C'}{\partial y'^2} - K_C \left(C' - C'_{\infty}\right) + D_1 \frac{\partial^2 T'}{\partial y'^2}$$
(14)

Levels of boundary relationships

 $u'=0, T'=T_w, C'=C_w, at y'=0$ $u'\to 0, T'\to 0, C'\to 0 at y'\to \infty$ (15)

Equation.(11) gives the equation of continuity using a function of time or constant v'.

$$\boldsymbol{\upsilon}' = -\boldsymbol{\upsilon}_{0}' \left(1 + \boldsymbol{\varepsilon} \boldsymbol{e}^{n^{*t^{*}}} \right) \tag{16}$$

The suction velocity on the plate is denoted by v' > 0, a positive constant that signifies that the velocity absorbs the negative sign as it approaches the plateau.

$$\frac{\partial q_r'}{\partial y'} == 4I_1' \left(T' - T_{\infty}'\right) \tag{17}$$

Originally, a nondimensional scale was employed by

$$u = \frac{u'}{v_0}, y = \frac{v_0 y'}{\vartheta}, \theta = \frac{(T' - T'_{\infty})}{(T'_w - T'_{\infty})}, \varphi = \frac{(C' - C'_{\infty})}{(C'_w - C'_{\infty})}, \Pr = \frac{\mu C_p}{K_T}, Sc = \frac{\vartheta}{D}, M = \frac{\sigma B_o^2 \vartheta}{\rho v_o^2},$$

$$Gr = \frac{\vartheta g \beta_T (T'_w - T'_{\infty})}{v_o^3}, Gm = \frac{\vartheta g \beta_C (C'_w - C'_{\infty})}{v_o^3}, E = \frac{v_o^2}{C_p (T_w - T'_{\infty})}, K = \frac{v_o^2 K_p}{\vartheta^2},$$

$$K_o = \frac{\vartheta K_C}{v_o^2}, F = \frac{4I_1 \vartheta^2}{K v_o^2}, Q = \frac{Q_1 v^2}{K v_o^2}, \text{So} = \frac{D_1 (T_w - T'_{\infty})}{\vartheta (C_w - C'_{\infty})}, t = \frac{t' v_o^2}{4\vartheta}, h = \frac{v_o^2 L_1}{\vartheta}, R = \frac{4I' \vartheta}{\vartheta C_p v_o^2}$$
(18)

The nondimensional governing equations (11)-(14) can be used to rewrite this process in dimensional form

$$\left(1+\frac{1}{\gamma}\right)u''+u'=-Gr\theta-Gm\varphi+M_1u$$
(19)

$$\theta'' + Pr\theta' - (F+Q)\theta = -\Pr E\left(1 + \frac{1}{\gamma}\right)u'^2 - \Pr EMu^2$$
⁽²⁰⁾

$$\varphi'' + Sc\varphi' - ScK_o\varphi = -S_0Sc\theta''$$
⁽²¹⁾

Where $M_1 = M \sin^2 \delta + \frac{1}{K}$

Dimensional form of boundary conditions

$$u = 0, \quad T = 1, \quad C = 1, \quad at \ y = 0$$

$$u \to 0, \ T \to 0, \ C \to 0 \quad at \ y \to \infty$$
(22)

4. Solution of the Problem

The velocity, temperature and concentration dimensionless forms of the ordinary differential equations (19)–(21) were solved. Additionally, it can be applied to analytically resolve partial differential equation problems in closed form, using a collection of $\begin{pmatrix} & & \\ &$

$$u(y,t) = u_0(y) + \varepsilon u_1(y) e^{mt},$$

$$\theta(y,t) = \theta_0(y) + \varepsilon \theta_1(y) e^{mt},$$

$$\phi(y,t) = \phi_0(y) + \varepsilon \phi_1(y) e^{mt}.$$
(23)

4.1 Zero order terms

$$\left(1 + \frac{1}{\gamma}\right)u_0'' + u_0' = -Gr\theta_0 - Gm\varphi_0 + M_1u_0$$
⁽²⁴⁾

$$\theta_0'' + Pr\theta_0' - (F + Q)\theta_0 = 0 \tag{25}$$

$$\varphi_0'' + Sc\varphi_0' - ScK_o\varphi_0 = -S_0Sc\theta_0''$$
⁽²⁶⁾

4.2 First order terms

$$\left(1 + \frac{1}{\gamma}\right)u_1'' + u_1' = -Gr\theta_1 - Gm\varphi_1 + M_1u_1$$
⁽²⁷⁾

$$\theta_{1}'' + Pr\theta_{1}' - (F + Q)\theta_{1} = -Pr\left(1 + \frac{1}{\gamma}\right)u_{0}'^{2} - PrMu_{0}^{2}$$
⁽²⁸⁾

$$\boldsymbol{\varphi}_{1}^{\prime\prime} + Sc\boldsymbol{\varphi}_{1}^{\prime} - Sc\boldsymbol{K}_{o}\boldsymbol{\varphi}_{1} = -S_{0}Sc\boldsymbol{\theta}_{1}^{\prime\prime}$$
⁽²⁹⁾

The matching limits conditions are

$$u_{0} = 0, \quad u_{1} = 0, \quad \theta_{0} = 1, \quad \theta_{1} = 0, \quad \phi_{0} = 1, \quad \phi_{1} = 0 \quad at \quad y = 0$$

$$u_{0} \to 0, \quad u_{1} \to 0, \quad \theta_{0} \to 0, \quad \theta_{1} \to 0, \quad \phi_{0} \to 0, \quad \phi_{1} \to 0 \quad at \quad y \to \infty$$

(30)

The temperature, concentration and velocity boundary conditions are given below. Equations (23)–(29) can be solved by substituting equation (30).

$$u = Z_{3}e^{-w_{1}y} - Z_{4}e^{-w_{2}y} + Z_{5}e^{-w_{3}y} + \varepsilon[Z_{33} e^{-w_{1}y} + Z_{34}e^{-w_{2}y} + Z_{35}e^{-2w_{1}y} + Z_{36}e^{-2w_{2}y} + Z_{37}e^{-2w_{3}y} + Z_{38}e^{-\alpha_{1}y} + Z_{39}e^{-\alpha_{2}y} + Z_{40}e^{-\alpha_{3}y} + Z_{41}e^{-w_{3}y}]$$

$$\theta = e^{-w_{1}y} + \varepsilon[Z_{18} e^{-2w_{1}y} + Z_{19}e^{-2w_{2}y} + Z_{20}e^{-2w_{3}y} + Z_{21}e^{-\alpha_{1}y} + Z_{22}e^{-\alpha_{2}y} + Z_{23}e^{-\alpha_{3}y} + Z_{24}e^{-w_{1}y}]$$
(31)

$$\varphi = -Z_{1}e^{-w_{1}y} + Z_{2}e^{-w_{2}y} + \varepsilon[Z_{25} e^{-w_{1}y} + Z_{26}e^{-2w_{1}y} + Z_{27}e^{-2w_{2}y} + Z_{28}e^{-2w_{3}y} + Z_{29}e^{-\alpha_{1}y} + Z_{30}e^{-\alpha_{2}y} + Z_{31}e^{-\alpha_{3}y} + Z_{32}e^{-w_{2}y}]$$
(33)

4.3 Skin friction

Skin friction is generated in a nondimensional form by the relation.

$$\tau = \left(\frac{\partial u}{\partial y}\right)_{y=0}$$

$$\tau = [-w_1 Z_3 + w_2 Z_4 - w_3 Z_5] + \varepsilon [w_1 Z_{33} - w_2 Z_{34} - 2w_1 Z_{35} - 2w_2 Z_{36} - 2w_3 Z_{37} - \alpha_1 Z_{38} - \alpha_2 Z_{39} - \alpha_3 Z_{40} - w_3 Z_{41}]$$
(34)

4.4 Rate of heat transfer

The nondimensional Nusselt number can be utilized to compute the heat transfer coefficient's rate as

$$Nu = -\left(\frac{\partial\theta}{\partial y}\right)_{y=0}$$

$$Nu = w_1 + \varepsilon [w_1 Z_{24} + 2w_1 Z_{18} + 2w_2 Z_{19} + 2w_3 Z_{20} + \alpha_1 Z_{21} + \alpha_2 Z_{22} + \alpha_3 Z_{23}]$$
(35)

4.5 Rate of mass transfer

The mass transfer coefficient's rate can be calculated using the nondimensional Sherwood number as

$$Sh = -\left(\frac{\partial\varphi}{\partial y}\right)_{y=0}$$

$$Sh = [w_2 Z_2 - w_1 Z_1] + \mathcal{E}[w_1 Z_{25} + 2w_1 Z_{26} + 2w_2 Z_{27} + 2w_3 Z_{28} + \alpha_1 Z_{29} + \alpha_2 Z_{30} + \alpha_3 Z_{31} + w_2 Z_{32}]$$
(36)

5. Results and Discussion

The previously mentioned analytical results are clearly shown in the set Figure (2) – (12) by using the perturbation approach to numerically analyses the results through MATLAB. The surface heat force and the boundary layer hydrodynamic force are compared. The effects of temperature, concentration, and velocity profiles are extracted using standard physical parameters. As the vertical plate fluid absorption parameter increases, the velocity, temperature, and concentration level become visible. Charts display their parameters. The Casson fluid (γ), Grashof number (Gr), alignment angle (δ), permeability parameter (K), modified Grashof number (Gm), heat absorption (Q), radiation parameter (F), Prandtl number (Pr), Schmidt number (Sc), and chemical reaction (K_o) and the outcomes. We discuss some of the important flow properties of the model under the assumption that $\Pr = 7$, $\gamma = 0.5$, M = 2, $\delta = \frac{\pi}{3}$, Gr = 5, Gm = 5, Sc = 0.22, $K_0 = 1$, $S_0 = 1$, F = 1, K = 1 and Q = 1 are fixed.

Figure (2) indicates that the liquid absorption rate increases in tandem with an increase in the Casson parameters. The velocity of the hydrodynamic force increases in graphs (3) and (4) Gr and Gm in proportion to the increase in the thermal force parameter. Diagram (5) shows how the fluid's flow is impeded by the Lorentz force, which causes the velocity to drop as the magnetic parameter increases. The hydrodynamic force in the boundary layer causes the velocity to increase in graphs (6) and (7).



Figure 2. Impact of velocity profile at various γ values.



Figure 3. Impact of velocity profile at various Gr values.



Figure 4. Impact of velocity profile at various *Gm* values.



Figure 5. Impact of velocity profile at various M values.



Figure 6. Impact of velocity profile at various *K* values.



Figure 7. Impact of velocity profile at various δ values.

Figures (8) through (10) of the findings display the thermal profiles. When the fluid in the boundary layer on the surface of the vertical plate is heated, the absorption level falls as the various parameters of Pr, F and Q increases. So, K_o and Sc both have greater parameters. On graphs (11)–(12) however, the concentration gradually drops.



Figure 8. Impact of temperature profile at various $\ensuremath{Pr}\xspace$ values.



Figure 9. Impact of temperature profile at various F values.



Figure 10. Impact of temperature profile at various Q values.



Figure 11. Impact of temperature profile at various Sc values.



Figure 12. Impact of temperature profile at various K_o values.

Using skin friction coefficients, Table-1 shows the velocity profiles. The Grashof number (Gr) is used for heat transmission. The mass transfer coefficient (Gm) increases when the Casson parameter (γ), the permeability parameter (K) and the magnetic parameter (M) are taken into consideration. Under the Self Profiles in Table-2, the Nusselt number, heat absorption parameter (Q) and Radiation Parameter (F) are shown. The accurate numerical results achieved with the perturbation technique are most clearly shown in Table-2, when compared to the preceding analytical results by Obulesu Mopuri et al. [19].

Gm	М	K	Obulesu Mopuri et al. [19]	Present Result
5			5.6751	5.5625
10			10.2210	10.4916
15			14.7317	14.4207
	2		5.6751	5.5625
	3		4.9709	4.9619
	4		4.4962	4.4614
		2	6.2316	6.2126
		3	6.4633	6.3846
		4	6.5907	6.4966

Table 1. The Skin friction properties by Obulesu Mopuri et al. [19] the Gm, M, K values werecompared with the present values in all studies.

Table 2. The Nusselt number F and Q values are compared with the values in the studies byObulesu Mopuri et al. [19].

F	Q	Obulesu Mopuri et al. [19]	Present Result
4		6.7311	6.6533
6		7.0466	7.0465

3	6.5589	6.5311
5	6.8932	6.8720
6	7.0466	7.0475

6. Conclusion

In this study, convection in a porous media that absorbs Casson fluid flow yields the perfect solutions for the aligned angle and radiation in an infinite vertical plate. The partial differential equation is used analytically in a closed form perturbation technique to graph the effects of velocity, temperature and concentration on the profiles.

Below are some noteworthy findings.

- The absorption velocity on the plate increases in tandem with the increases in Gr, Gm, K and δ . The liquid's absorption velocity fall as γ and M parameters rise.
- The temperature of the heated liquid in the vertical plate falls with an increase in P, F and Q.
- As Sc and K_a values increase, concentration correspondingly falls.
- In Table-1, the skin friction coefficient results for the parameters Gm, M and K are compared to the current result.
- Table -2 compares the recent Nusselt number result with F and Q results.

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